A comparative study of ensemble methods in the field of education: Bagging and Boosting algorithms

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Abstract: This study aims to conduct a comparative study of Bagging and Boosting algorithms among ensemble methods and to compare the classification performance of TreeNet and Random Forest methods using these algorithms on the data extracted from ABİDE application in education. The main factor in choosing them for analyses is that they are Ensemble methods combining decision trees via Bagging and Boosting algorithms and creating a single outcome by combining the outputs obtained from each of them. The data set consists of mathematics scores of ABİDE (Academic Skills Monitoring and Evaluation) 2016 implementation and various demographic variables regarding students. The study group involves 5000 students randomly recruited. On the deletion of loss data and assignment procedures, this number decreased to 4568. The analyses showed that the TreeNet method performed more successfully in terms of classification accuracy, sensitivity, F1-score and AUC value based on sample size, and the Random Forest method on specificity and accuracy. It can be alleged that the TreeNet method is more successful in all numerical estimation error rates for each sample size by producing lower values compared to the Random Forest method. When comparing both analysis methods based on ABİDE data, considering all the conditions, including sample size, cross validity and performance criteria following the analyses, TreeNet can be said to exhibit higher classification performance than Random Forest. Unlike a single classifier or predictive method, the classification or prediction of multiple methods by using Boosting and Bagging algorithms is considered important for the results obtained in education.

1. INTRODUCTION

The retrieval of information that needs to be obtained in order to make speculations concerning an event or situation from a community instead of a single person definitely provides the opportunity to make stronger inferences with poorer error rate. In the daily life as well, the attempt to obtain a greater deal of information that can be gained regarding an event or situation, and the overall evaluation of the collected data, is ultimately the result of attempting to reach a more precise conclusion. However, during a decision phase yielding important results, the opinions of experts who are thought to help make decisions are consulted. For example, the opinions of several specialists are asked before a life- threatening operation. In addition, ensemble- based decision- making processes are also administered to elect a manager or to

decide on a new law (Polikar, 2012). Likewise, ensemble methods performs analysis methods and, in this respect, it has received increasing attention in recent years with its use with various multiple classification systems, data mining methods and machine learning algorithms (Do-Nascimento et al., 2019; Lee et al., 2010; Zhang & Ma, 2012). The methods that were initially used to reduce the variance of classification and predictive analyses and to increase the accuracy of classification were then successfully utilized for various purposes such as feature selection and the determination of confidence interval (Abeel et al., 2010; Kumari, 2012; Saeys et al., 2008; Zhang & Ma, 2012).

Technological advancement and novel statistical algorithms have allowed for a better understanding of data mining and improved its use. The emergence and development of ensemble learning in the last quarter can be regarded as a reflection of this process. On account of the combination of basic statistical methods to generate ensemble learning methods, the results with high classification success and precise prediction as well as low error variance have been obtained (Bauer & Kohavi, 1999; Hansen & Salamon, 1990; Onan, 2015; Opitz & Shavlik, 1996; Polikar, 2006; Sagi & Rokach, 2018) and, in this respect, its use has recently increased in various areas such as health, economy, banking, agriculture, engineering, business and education (Akman, 2010; Şevgin & Önen 2022).

There have been several studies employing ensemble methods encountered in the literature (Abidi et al., 2020; Baskin et al., 2017a; Baskin et al., 2017b; Dietterich, 2000; Dietterich, 2002; Freund & Schapire, 1996; Friedman, 2001; Kapucu & Cubukcu, 2021; Kausar et al., 2020; Li et al., 2022; Mousavi & Eftekhari, 2015; Pong-Inwong & Kaewmak, 2016; Steinki & Mohammad, 2015; Wang et al., 2018). It is worth noting that the researchers who conduct studies on data mining and machine learning have fallen behind in discovering the success of Ensemble-based learning methods in terms of classification and prediction-based decision-making (Polikar, 2012). Nevertheless, with the studies carried out in recent years, it has been seen that a great deal of knowledge and literature have been obtained especially in the field of education (Abdar et al., 2018; Abellán & Castellano, 2017; Aggarwal et al., 2021; Almasri et al., 2019; Ashraf et al., 2021; Ashraf et al., 2020; Arun et al., 2021; Guo et al., 2021; Karalar et al., 2021; Keser & Aghalarova, 2022; Kotsiantis et al., 2010; Injadat et al., 2020a; Injadat et al., 2020b; Premalatha & Sujatha, 2021). This comparative study focusing on Bagging and Boosting (Akman, 2010; Zhou, 2012) algorithms that are the most well-known Ensemble methods may contribute to the literature and, particularly the field of educational data mining, in order to list and utilize the concept of Ensemble Learning and its methods among advanced statistical methods in the field of education.

In the field of education, both in the phase of various and big data processing that poses opportunities for the construction of education within the Ministry and in the analysis process of multidimensional, complicated and noisy data obtained from students and teachers through large- scale tests, it is of importance to achieve strong and non-deviating outputs. Indeed, the use of ensemble methods can be considered as flexibility (Strobl et al., 2009) for the data analysis in the noisy data by its nature that we often call traditional which do not provide various assumptions required for the parametric methods. Thus, the achievement of the output with lower error variances in the field of education can be contributed. Considering the situations where decisions regarding students such as fail- pass or successful- unsuccessful are made or variables that affect student achievement are examined, the realization of analyses with high classification and prediction success and poor error rate may ensure the results in terms of high classification/ decision validity. It is clear that the use of ensemble methods in education serves to obtain results with high classification and prediction success and to gain results with high classification/ decision validity. Therefore, it is considered important to utilize ensemble methods to obtain evidence concerning classification/ precision validity in the procedures to be performed for classification and prediction.

1.1. Ensemble Learning

Recently, in the process of statistically synthesizing the data obtained through scientific research, the idea of combining multiple methods to produce a new model based on classification or prediction has been emphasized by the researchers and been the subject of publications in recent years. Tukey is the first researcher who has introduced the concept of ensemble learning (1977) where he had used linear regression model to fit the original data as first step and then again linear regression model to fit the residual as a second step (Sagi & Rokach, 2018). Later, in the 1990s, Hansen and Salamon shared the outputs of neural network ensembles. In addition, in 1996, Breiman first proposed ideas for the Bagging algorithm and in the same year, Freund and Schapire came up with the first boosting algorithm. Subsequently, the AdaBoost algorithm was introduced by Freund and Schapire (1996) as a result of combining multiple weak classifiers to build one strong classifier. Moreover, certain studies on the development of ensemble methods using boosting algorithms such as Gradien Boosting presented by Friedman et al. (2000) and Multiple Additive Regression Trees (MART) proposed by Friedman and Meulman (2003) have been encountered. In the meantime, numerous ensemble methods which perform ensemble learning by using Bagging and Boosting algorithms have been developed (Kumari, 2012; Polikar, 2006; Schapire, 2003; Zhou, 2012).

The fact that the information is obtained from the narration of more than one person who witnessed the same event rather than of a person, in other words, the information gathered from ensembles provide more reliable results with high accuracy. Learning in this way is called ensemble learning (Polikar, 2012). Similarly, the combination of the predictions of several base estimators is generally better than the prediction of one best predictor. A group of predictive methods is gathered under the title of Ensemble and the process of making predictions from the ensemble is called Ensemble Learning (Geron, 2019). To sum, Ensemble methods can be considered as the combination of multiple methods to produce outputs with higher success (Quinlan, 1996), that is outputs with higher levels of reliability (Akman, 2010; Maclin & Opitz, 1997) in contrast to the outputs based on classification and prediction obtained from single methods. These methods, combined together to give an ensemble, can be a decision tree (C&RT, C5, CHIAD, ID3, QUEST) as well as such methods as MARS, YSA, SVA (Chen & Guestrin, 2016; Clarke et al., 2009; Freund & Schapire, 1996; Friedman, 2001; Friedman & Meulman, 2003; Quinlan, 1996; Sutton, 2005; Zhou, 2012). The algorithms that combine these methods and give an ensemble are Boosting, Bagging, Stacking, Max Voting, Averaging, Weighted Averaging and Blending algorithms (Baskin et al. 2017a; Zhang & Ma, 2012; Zhou, 2012). Of these algorithms, Bagging and Boosting are the most elaborated and known ensemble learning algorithms (Akman, 2010; Zhou, 2012). Within the scope of this study, Bagging and Boosting algorithms are included.

As stated above, although Bagging and Boosting algorithms can be applied to several methods, it has been seen that they are mostly used together with decision trees in the literature. In certain sources, however, ensemble methods are referred as Tree- based Ensemble Methods (Akman, 2010). The TreeNet method, which creates ensembles using classification and regression trees (C&RT) with the boosting algorithm, and the Random Forest (Breiman, 2001), which creates ensembles using C&RT with the bagging algorithm, are included in the present study. In certain sources, although Random Forest is considered as an Ensemble method independently due to the fact that it creates random subspaces to do a random selection of a subset of features to use to grow each tree (Geron, 2019; Han et al., 2012), it is also included in the Bagging title since it utilizes Bagging algorithm in the formation of ensemble (Clarke et al., 2009; Nisbet et al., 2009). Hastie et al. (2009) stated that Random Forest method was a modification of the Bagging algorithm. The main factor choosing TreeNet and Random Forest methods for the current study is that both methods are Ensemble methods that combine single decision trees (classification and regression trees - C&RT) with Bagging and Boosting algorithms and combine the outputs

obtained from each of them into a single output. An example representing the working principle of ensemble methods is presented in Figure 1 below:

Figure 1. *The illustration of the working principle of Ensemble Model*
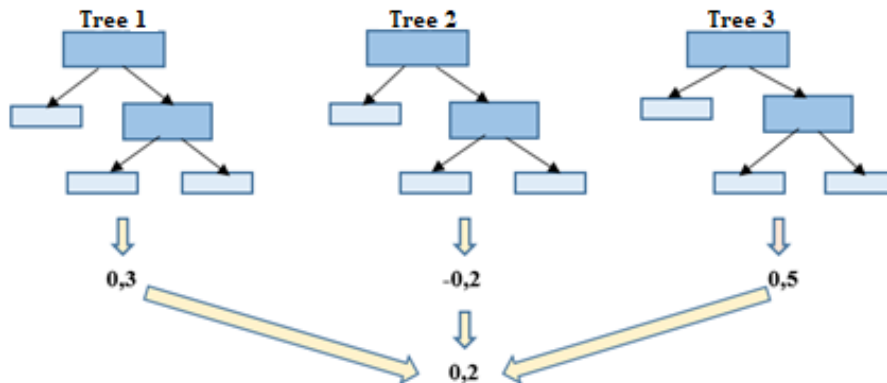
In Figure 1, the value of each tree is combined to produce the final value of the ensemble. The combination process differs since Bagging and Boosting algorithms use their own techniques. During the consolidation process, boosting algorithm iteratively constructs a series of decision trees being trained whereas Bagging algorithm consists of simple random sampling with replacement. These algorithms and the analyses that use them are respectively elaborated below.

1.1.1. *Boosting*

In Boosting algorithm, each model is constructed on the incorrectly predicted data of the previous model (Friedman, 2001). In other words, each model learns from the errors of the previous model. This is realized by weighting the data points and the whole process continues sequentially (Friedman & Meulman, 2003). Then, the weak learners are eliminated one by one and the strong learner is reached (Polikar, 2012). The last model is yielded from the weighted average of all models (Zhou, 2012).

Boosting algorithm [Rokach (2019)].

Input: *I* (a weak inducer), *S*. (a training set) and *k* (the sample size for the first classifier)

Output: M_1, M_2, M_3

1: $S_1 \leftarrow$ Randomly selected $k < m$ instances from *S* without replacement;

2: $M_1 \leftarrow I(S_1)$

3: $S_2 \leftarrow$ Randomly selected instances (without replacement) from $S - S_1$ such that half of them are correctly classified by M_1.

4: $M_2 \leftarrow I(S_2)$

5: $S_3 \leftarrow$ any instances in $S - S_1 - S_2$ that are classified differently by M_1 and M_2.

As shown above, boosting algorithm has an iterative characteristic. The algorithm generates three classifiers. The sample S_1, which is used to train the first classifier M_1, is randomly selected from the original data set. The second classifier, M_2, is trained on a sample M_2, half of which consists of instances that are incorrectly classified by M_1, and the other half is composed of instances that are correctly classified by M_2. The last classifier, M_3, is trained with instances that the two previous classifiers disagree on (Rokach, 2019).

The error rate of the M_i model is calculated using the given the formula below:

$$error(M_i) = \sum_{j=1}^{d} wj \times error(X_j) \tag{1}$$

In this equation, *error (X$_j$)* is the classification error of Xj. If the group is incorrectly classified, error (Xj) = 1, otherwise it is 0 (zero) (Han et al., 2012). If the performance of the classifier, M_i, is poor, the classification error exceeds 0.5, in which case M_i is abandoned. Instead, the operation is retried by generating a new Si training data (Han et al., 2012). The error rate of M_i affects the updating of the weights of the training set. If the observations are correctly classified, the weighting of observations is multiplied by the value obtained from the equation below:

$$\frac{error(M_i)}{(1-error(M_i)}$$ (2)

When the weights of all correctly classified observations are updated, the weights of all observations (including those that are incorrectly classified) are normalized so that their sum remains the same as before. As a result, the weights of misclassified observations are increased and the weights of correctly classified observations are reduced. The lower the error rate is for a classifier, the higher the accuracy rate is (Han et al., 2012). The weight calculated for each M_i classifier is represented by the equation below:

$$log\frac{1-error(M_i)}{error(M_i)}$$ (3)

Based on boosting algorithm, various alternatives such as AdaBoost (Adaptive Boosting – Freund & Schapire, 1996), Gradient Boosting (Friedman, 2001), XGBoost (Chen & Guestrin, 2016) have been developed to determine the weights used in the training and classification phases of the boost iteration. However, AdaBoost and Gradient Bosting are commonly used algorithms (Sinharay, 2016).

1.1.2. *Bagging*

Bagging is an abbreviation for Bootstrap-Aggregating. It was first proposed by Leo Breiman in 1996. It is a simple, yet effective method for generating an ensemble of classifiers. The ensemble classifier that is created by this method consolidates the outputs of various learned classifiers into a single classification and this results in a classifier whose accuracy is greater than the accuracy of each individual classifier (Rokach, 2019). Bootstrap in the bagging algorithm is represented as resampling (Breiman, 1996). In this method, each classifier in the ensemble is trained on a sample of instances taken with replacement (allowing repetitions) from the training set. All classifiers are trained using the same learning algorithm. Therefore, some of the original instances may appear more than once in a training set, and some may not be included at all (Efron & Tibshirani, 1993).

Bagging Algorithm [Rokach (2019)].

Input: *I* (a base inducer), *T* (the number of iterations), *S* (the original training set), μ (the sample size).

1: $t \leftarrow 1$

2: Repeat

3: $S_t \leftarrow$ a sample of μ instances from *S* with replacement.

4: Construct classifier M_t using *I*, with S_t as the training set.

5: $t \leftarrow t + 1$

6: until $t > T$

The Bagging algorithm works as shown above. The classifiers are all trained using the same learning algorithm. The algorithm receives an induction algorithm *'I'* which is used for training all members of the ensemble. The stopping criterion in line six terminates the training when the ensemble size reaches *'I'*. One of the main advantages of bagging is that it can be implemented

easily in a parallel mode by training the various ensemble classifiers on different processors (Rokach, 2019).

The most important feature that distinguishes the Bagging algorithm from the Boosting algorithm is that sampling with replacement is used. That is, it is likely to use a sample more than once in the Bagging algorithm. However, in Boosting algorithm, the sample that has been used is not used again. The common feature of the Bagging and Boosting algorithms is that in both algorithms, they generate the last classifier through multiple voting for classification models, and the last estimator through the average of parameter estimates for regression models (Ferreira & Figueiredo, 2012). In this respect, it has been considered important in terms of using the data obtained in the field of education in the analysis of classification and prediction. Besides, unlike the results obtained by a single method, the use of results obtained through more than one method has also been regarded noteworthy in terms of the reliability and validity of the results obtained. Finally, it has been thought that it may contribute to the field in terms of using novel methods built on Bagging and Boosting algorithms in education. In fact, it has been seen that both the Boosting and Bagging algorithms are included in certain studies conducted in the field of education. However, this study is remarkable in terms of the fact that it elaborates the concept of *'Ensemble Learning'* entitled under data mining and machine learning and compares the methods based on the most known algorithms, Bagging and Boosting, on the data in the field of education. Therefore, "The purpose of the study is to conduct a comparative study of Bagging and Boosting algorithms among ensemble methods and to examine the classification performance of both methods on the data obtained in the field of education through TreeNet and Random Forest". To this end, answers to the following questions have been sought:

1) Do the performance measurements of TreeNet and Random Forest methods using Bagging and Boosting algorithms obtained according to each sample size based on 3,5 and 10-fold cross validity on the ABİDE data using Bagging and Boosting algorithms differ?

2) Is there a difference between TreeNet and Random Forest method using Bagging and Boosting algorithms on the ABİDE data based on the comparison of RMSE, MSE, MAD and MRAD values?

2. METHOD

The study was designed with quantitative research and a relational survey model was used with a descriptive approach. The relational model allows researchers to obtain information regarding a large group by examining a sample (Leedy & Ormrod, 2005).

2.1. Data Set

The data set of the study consists of mathematics scores of ABIDE (Academic Skills Monitoring and Evaluation) 2016 administered to 8th grade students. ABIDE implementation includes Turkish, Mathematics, Science and Social Studies achievement tests prepared for 8th grade students. However, the Mathematics achievement test was focused in the current research. For the data of 5000 students randomly recruited from the data set, data deletion was carried out for the demographic data and the values were assigned to the obtained from the scales through (MCAR) regression since it is below %5 for the loss data (Tabachnick & Fidell, 2015). As a result of the deletion of loss data and assignment procedures, this number decreased to 4568. The dependent variable (students' maths achievement), which is a continuous variable, was dual-categorized by considering the first quarter of %25 (low maths achievement) and the fourth quarter of %25 (high maths achievement). 2284 (1034 female and 1250 male) students, 1142 in the first quarter and 1142 in the fourth quarter, constitute the sample of the study. Those in the first quarter with maths scores between 343,10- 440,14 refer to the students with low

maths achievement whereas those in the fourth quarter with maths scores between 556,62-776,02 refer to the students with high maths achievement.

2.1.1. *Measurement tools*

The current research consists of mathematics achievement test in ABİDE implementation, demographic information collected by student survey and the variables collected at the scale level that are the attitude towards the school, peer bullying, parental approach, liking of mathematics course, self-efficacy perception towards the mathematics course, the value given to the mathematics course and teacher's instructional activities.

Prior to the data analysis through ensemble methods, the reliability, validity and multiple connection problems of the scales used in the research were examined. With the purpose of determining the reliability coefficient, McDonald's (ω) reliability index was employed instead of Chronbach Alpha reliability index due to the fact that the factor loads of the items were not equal (Yurdugül, 2006). McDonald's (ω) reliability index of the scales ranged from 0.77 (parental approach) the lowest to 0.94 (teacher's instructional activities) the highest and these values can be said to be at acceptable levels. In order to prove the validity of the scale, exploratory factor analysis was performed and it was found that each scale had one dimensional and that factor loads of the items varied between 0.369 the lowest and 0.875 the highest. Since the factor loads related to the items are above the acceptable minimum value, 0.30 (Çokluk et al., 2012), it can be said that they are above the acceptable value. Moreover, Tolerance and VIF values were examined for multi connection problem, and it was revealed that Tolerance values ranged between 0.520 and 0.916 and VIF values varied between 1.091and 1.922. Since these values are higher than 0.100 for Tolerance and lower than 10 for VIF (Schroeder et al., 1990), it can be stated that there is no multi connection problem.

2.2. Data Analysis

In the research, the data set was divided into four data sets as 250, 500, 1000 and 2000 in terms of sample size through simple random sampling without replacement. The observations in each data set were assigned to the data set in a way that they were subjected to 3-fold, 5-fold and 10-fold cross validation.

In this study, in the context of ensemble methods, performance criteria based on sample size were compared for TreeNet analysis method using Boosting algorithm and Random Forest method using Bagging algorithm in the background. In data analysis, the educational version of the SPM 7.0 statistical package program and open source Phyton-based Orange package 3.34 version were utilized. In addition, the evaluation of performance criteria yielded by confusion matrix was made through the test data and the 2nd category (Successful) was considered as the focus group.

2.2.1. *TreeNet*

The TreeNet method is based on stochastic gradient boosting algorithm to determine the weights used in the training and classification phases of the incremental iteration (Padmaja et al., 2016). Stochastic gradient boosting, developed by Friedman (2002), is used to address a regression task by optimizing the mean squared error. It is a non- parametric method where each successive learner is trained following the pseudo - residual errors of the preceding learner, thus finding solutions to classification and regression problems (Friedman, 2002; Hastie et al., 2009). The TreeNet (TM Salford Systems, inc.) method has various titles due to commercial concerns such as Multiple Additive Regression Trees-MART (TM Jerill, inc.), Boosted Regression Trees-BRT (TM Stat Soft, inc.), Gradient Boosting Trees (GBT) and Gradient Boosting Model (GBM) (Elish & Elish, 2009; Hill & Lewicki, 2006). TreeNet is successfully applied in science fields where complex relationships of numerous variables are modelled by

adding classification trees when the dependent variable is categorical and the regression trees are added when the variable is continuous (Şevgin & Önen, 2022).

2.2.2. *Random forest*

Random Forest method is a special modification of Bagging algorithm (Amrieh et al., 2016; Hastie et al., 2009). It was created as a result of the application of the Random Subspace technique proposed by Ho (1998) on the Bagging method (Biau, 2012). In the bagging method, decision trees are generated by selection from the data set independently of one another through bootstrap technique. However, the Random Subspace method does a random selection of a subset of features to use to grow each tree (Akman, 2010). In Random Forest method, each decision tree that generates the decision forest is created by bootstrap sampling randomly selected from the original data set with replacement. The Random Forest proposed by Breiman (2001) is a non-parametric method applied in science fields where complex relationships of numerous variables are modelled by adding classification trees to regression trees through bootstrap sampling method when the dependent variable is two- class or multi- class (Biau & Scornet, 2016; Geneur et al., 2017).

Recent studies have shown that ensemble learning methods outperform traditional regression methods (Elith et al., 2006). It can be said that TreeNet and Random Forest are among best performing ensemble methods (More detailed information for these two methods, see Breiman, 2001; Friedman, 2002).

2.2.3. *Confusion matrix*

A confusion matrix is a technique for summarizing the performance of a classification algorithm. A confusion matrix is a two-dimensional matrix ("actual" and "predicted"), indexed in one dimension by the true class of an object and in the other by the class that the classifier assigns (Ting, 2017) and it allows easily discovering whether the system mixes the two classes (Şevgin, 2020). Table 1 presents an example of confusion matrix for a two - class classification task.

Table 1. *Confusion matrix.*

		Predicted Class		
		Unsuccessful	Successful	Total
	Unsuccessful	TN	FP	TN+FP
Actual Class	Successful	FN	TP	FP+TP
	Total	TN+FN	FP+TP	TN+FN+FP+TP

(TP: True Positive TN: True Negative FP: False Positive Fn: False Negative)

Confusion matrices represent counts from predicted and actual values. It is applied to binary classification. In this regard, the confusion matrix represents true positive (TP) values, false positive (FP) values, true negative (TN) values and false negative (FN) values (Ting, 2017). The output for True Positive and True Negative shows the instances predicted accurately. However, False Positive and False Negative represent the instances predicted incorrectly. Accuracy is calculated as the sum of two accurate predictions (TP + TN) divided by the total number of data sets (P + N). The best accuracy is 1.0, and the worst is 0.00. Ideally, the sum of TP and TN should have an approximate value to the total of the pattern and the sum of FP and FN values should be close to zero (Han et al., 2012).

2.2.4. *Performance criteria for the categorical dependent variable*

In this research, accuracy- percentage- sensitivity- precision ratios, AUC value of ROC curve and F1 score were used as performance criteria. The formulas are given below:

Accurate classification rate indicates how well the method used in classification problems predicts the class distributions of the data and is often expressed as a percentage.

$$Accurate\ Classification\ Rate = \frac{(TP+TN)}{(TP+FP+TN+FN)} \tag{4}$$

Specificity refers to the probability of a negative test result, conditioned on the individual truly being negative and it takes a value between 0 and 1. This value is usually expressed as a percentage.

$$Specificity = \frac{(TN)}{(TN+FP)} \tag{5}$$

Sensitivity represents how well a test can identify true positives and it reveals a value between 0 and 1. This value is usually expressed as a percentage.

$$Sensitivity = \frac{(TP)}{(TP+FN)} \tag{6}$$

The numerical value of accuracy represents the proportion of true positive results in the selected population and yields a value between 0 and 1. This value is usually expressed as a percentage.

$$Precision = \frac{(TP)}{(TP+FP)} \tag{7}$$

The F- score (also known as the F1- score or F-measure) is defined as the harmonic mean of precision and recall scores of a model in order to ensure a balanced measure of overall classification performance.

$$F1-Score = 2x\frac{sensitivity\ x\ precision}{sensitivity+precision} \tag{8}$$

2.2.5. *Performance criteria for the continuous dependent variable*

The RMSE, MSE, MAD, and MRAD values which give error values for numerical prediction, allow data mining and machine learning methods to be examined and compared to one another.

RMSE (Root Mean Square Error): RMSE measures the average difference between a statistical model's predicted values and the actual values. The RMSE value is the measurement of how close the predictions are to the actual values. A low RMSE value refers to a better model performance.

$$RMSE = \sqrt{\sum_{i=1}^{n}\frac{(\hat{y}_i-y_i)^2}{n}} \tag{9}$$

MSE (Mean Square Error): MSE is defined as mean or average of the square of the difference between actual and estimated values. Unlike RMSE, MSE is computed without taking the square root. The MSE value quantifies the size of prediction errors and a low MSE value means a better model performance.

$$MSE = \frac{1}{n}\sum_{i=1}^{n}(\hat{y}_i - y_i)^2 \tag{10}$$

MAD (Mean Absolute Deviation): MAD is a measure of the average absolute distance between each data value and the mean of a dataset. The MAD value measures the size of prediction errors, yet, unlike RMSE and MSE, it can be more sensitive to larger extreme outliers since it does not take the square of the deviation.

$$MAD = \frac{\sum_{i=1}^{n}|\chi_i-\bar{x}|}{n} \tag{11}$$

MRAD (Mean Relative Absolute Deviation): MRAD is the average distance between each data point and the mean. MRAD provides an independent assessment of the scale of the measured

values by calculating the prediction errors to the actual values. Besides, it is useful or comparing values measured in different times.

$$MRAD = \frac{\frac{(\Sigma_{i=1}^{n}|(x_i - \bar{x})|)}{n}}{\bar{x} * 100} \qquad (12)$$

2.2.6. *Cross validation*

Cross validation, also being referred to as rotation estimation, is a resampling technique used in statistical modelling and machine learning to evaluate the performance and generalization ability of two or more models. Cross validation involves dividing the existing dataset into k subsets, training the model on a subset of the data, and evaluating its performance on the remaining fold(s) (Olson & Delen, 2008). In K-fold cross-validation, the full data set is randomly divided into various subsets of k of approximately equal size. The classification model is trained and tested k times. In the present study, 3-fold, 5-fold and 10-fold cross-validity was applied to evaluate the performance of the methods. In other words, a cross-validity was performed in which one- third, one- fifth and one- tenth of the data set were considered as test data.

3. RESULTS

In this section, the TreeNet method using the boosting algorithm in the background and the Random Forest method using the Bagging algorithm are examined in different sample sizes, 3-fold, 5-fold and 10-fold cross validity rates. At each sample size and each cross-validity rate, the number of trees that is required by the TreeNet and Random Forest methods to generate the optimal model is presented in Table 2.

Table 2. *The number of trees where Treenet and random forest models are established.*

		250	500	1000	2000
TreeNet	3K	648	312	762	484
	5K	446	465	700	475
	10K	561	426	739	465
Random Forest	3K	526	258	589	461
	5K	433	436	547	417
	10K	489	438	628	423

Table 2 represents the number of trees needed to determine the optimal number of trees in the area under the ROC curve for TreeNet (Hastie et al., 2009). For Random Forest, the value with the lowest error rate in the decision forest refers to the number of trees needed for the most appropriate model to be established (Huffer and Park, 2020; Probst and Boulesteix, 2017).

3.1. Findings on the TreeNet and Random Forest Methods by Sample Size

The classification performances yielded by both analysis methods as a result of 3-fold cross validation for each level of the sample size taken from the study group are presented in Table 3 as a percentage. In Table 3, it is seen that for both analysis methods with 3-fold cross-validity, they received the same value in terms of accurate classification rate in 500 sample size although TreeNet method was higher than Random Forest method in 250, 1000 and 2000 sample sizes. In terms of specificity, TreeNet method was found to be higher in 250 smaple sizes whereas Random Forest was revealed to be higher in 500, 1000 and 2000 sample sizes. In terms of sensitivity, it is seen that TreeNet method is higher than Random Forest method in all sample sizes. In terms of accuracy, it is seen that the TreeNet method is higher in the sample size of 250 and 1000 and the Random Forest method is higher in the sample size of 500 and 2000. However, in terms of F1- score, it has been revealed that the TreeNet method is higher than the

Random Forest method in all sample sizes. In terms of AUC value, it has been found that the Random forest method is higher in the sample size of 250 and, however, that TreeNet method is higher in the sample sizes of 500, 1000 and 2000.

Table 3. *Percentages of classification performance by sample sizes for 3-Fold Cross validity.*

			250	500	1000	2000
3K	**TreeNet**	Accurate Classification Rate	%76.80	%71.40	%77.20	%77.20
		Specificity	%74.56	%70.59	%76.24	%78.35
		Sensitivity	%78.68	%72.24	%78.18	%76.00
		Accuracy	%78.68	%70.24	%76.33	%77.10
		F1- score	%78.68	%71.23	%77.25	%76.54
		AUC value	%83.98	%80.84	%85.77	%84.80
	Random Forest	Accurate Classification Rate	%72.80	%71.40	%74.10	%76.15
		Specificity	%67.54	%72.94	%77.03	%79.52
		Sensitivity	%77.21	%69.80	%71.11	%72.62
		Accuracy	%73.94	%71.25	%75.21	%77.28
		F1- score	%75.54	%70.52	%73.10	%74.88
		AUC value	%80.71	%81.35	%83.61	%84.79

The classification performances obtained by both analysis methods as a result of 5-fold cross validation for each level of the sample size taken from the study group are presented in Table 4 as a percentage.

Table 4. *Percentages of classification performance by sample sizes for 5-Fold Cross validity.*

			250	500	1000	2000
5K	**TreeNet**	Accurate Classification Rate	%71.20	%75.20	%75.20	%77.10
		Specificity	%67.54	%74.90	%75.45	%77.67
		Sensitivity	%74.26	%75.51	%74.95	%76.51
		Accuracy	%73.19	%74.30	%74.95	%76.66
		F1- score	%73.72	%74.90	%74.95	%76.58
		AUC value	%80.65	%82.53	%84.47	%85.30
	Random Forest	Accurate Classification Rate	%75.20	%74.20	%74.20	%76.55
		Specificity	%71.93	%75.69	%77.22	%79.53
		Sensitivity	%77.94	%72.65	%71.11	%73.44
		Accuracy	%76.81	%74.17	%75.37	%77.47
		F1- score	%77.37	%73.40	%73.18	%75.41
		AUC value	%82.79	%81.75	%83.92	%84.90

In Table 4, it is seen that for both analysis methods with 5-fold cross-validity, the Random Forest method is higher in the accurate classification rate in the sample size of 250 and that the TreeNet method is higher in the sample size of 500, 1000 and 2000. In terms of specificity, it has been demonstrated that Random Forest method is higher in all sample sizes. In terms of sensitivity, it is seen that the Random Forest method is higher in the sample size of 250 and the TreeNet method has been found to be higher in the sample sizes of 500, 1000 and 2000. Moreover, in terms of accuracy, it is seen that the Random Forest method is higher in sample size of 250 and the TreeNet method is higher in 500, 1000 and 2000 sample sizes. As for F1-

score, it is seen that the Random Forest method is higher in the sample size of 250 and TreeNet method is higher in the sample sizes of 500, 1000 and 2000. In terms of AUC value, it has been revealed that the Random Forest method is higher in the sample size of 250 and TreeNet method is higher in the sample sizes of 500, 1000 and 2000.

The classification performances obtained by both analysis methods as a result of 10-fold cross validation for each level of the sample size taken from the study group are presented in Table 5 as a percentage.

Table 5. *Percentages of classification performance by sample sizes for 10-Fold Cross validity*

			250	500	1000	2000
10K	TreeNet	Accurate Classification Rate	%75.20	%74.40	%76.60	%77.20
		Specificity	%76.32	%73.73	%75.84	%78.35
		Sensitivity	%74.26	%75.10	%77.37	%76.00
		Accuracy	%78.91	%73.31	%75.84	%77.10
		F1- score	%76.52	%74.19	%76.60	%76.54
		AUC value	%83.42	%82.92	%84.83	%84.80
	Random Forest	Accurate Classification Rate	%75.20	%74.20	%73.70	%76.35
		Specificity	%71.05	%75.69	%76.24	%79.82
		Sensitivity	%78.67	%72.65	%71.11	%72.72
		Accuracy	%76.43	%74.16	%74.58	%77.56
		F1- score	%77.53	%73.40	%72.80	%75.07
		AUC value	%83.12	%83.17	%83.49	%85.01

In Table 5, it has been demonstrated that both methods receive the same value in the sample size of 250 in terms of correct classification rate with 10-fold cross-validity; however, it has been seen that the TreeNet method is higher compared to the Random Forest method in the sample sizes of 500, 1000 and 2000. Nevertheless. in terms of specificity, it has been found that the TreeNet method is higher in the sample size of 250 and that the Random Forest method is higher in the sample size of 500, 1000 and 2000. As for sensitivity, it has been indicated that the Random Forest method is higher in the sample size of 250 and that TreeNet method is higher in the sample sizes of 500, 1000 and 2000. In terms of accuracy, it is seen that the TreeNet method is higher in the sample size of 250 and 1000 and the Random Forest method is higher in the sample size of 500 and 2000. Furthermore, In terms of F1-score, it is seen that the Random Forest method is higher in the sample size of 250 and TreeNet method is higher in the sample sizes of 500, 1000 and 2000. Finally, in terms of AUC value, it has been revealed that the TreeNet method is higher in the sample sizes of 250 and 1000 and the Random Forest method is higher in the sample sizes of 500 and 2000.

3.2. Findings on the TreeNet and Random Forest Methods Based on RMSE, MSE, MAD and MRAD Performance Measurements

The classification performances of RMSE, MSE, MAD and MRAD values obtained by both analysis methods for each level of sample size taken from the study group are presented in Table 6. As shown in Table 6, it is seen that the TreeNet method yields lower error values than the Random Forest method in all sample sizes. It has been shown that the error values of the TreeNet method, in itself, increase in all metrics towards the sample sizes of 250, 500 and 1000, and decrease in the sample size of 2000. In the Random Forest method. however, it has been revealed that the error values obtained in all metrics decrease as the sample size increases.

Table 6. *RMSE. MSE. MAD and MRAD Values of Both Methods in Each Sample Size.*

		250	500	1000	2000
TreeNet	RMSE	46.45	61.67	71.65	71.10
	MSE	2158.32	3803.72	5133.75	5056.28
	MAD	36.00	48.71	57.29	56.47
	MRAD	0.075	0.102	0.120	0.118
Random Forest	RMSE	96.65	93.35	92.91	90.32
	MSE	9342.81	8714.05	8633.24	8156.97
	MAD	83.72	79.61	78.70	75.69
	MRAD	0.175	0.166	0.165	0.159

4. DISCUSSION and CONCLUSION

In the current study. Bagging and Boosting algorithms were elaborated and the classification performances of TreeNet and Random Forest methods using these algorithms were compared through a real data set from a large-scale national assessment. In this section, the results yielded from both methods and the usefulness of both analysis methods in education have been discussed.

As the first result of the research, it was found that the performance measurements of TreeNet and Random Forest methods varied based on each sample size under 3, 5 and 10-fold cross validity. In its broadest sense, the TreeNet method yielded high values in accuracy, sensitivity rate, F1-score and AUC value in large samples whereas it takes high values in specificity and accuracy in smaller samples while it takes high values in specificity and accuracy in smaller samples. Furthermore, the Random Forest method takes high values in large samples in terms of specificity and accuracy although it yields high values in the smaller samples in the accuracy, sensitivity, F1-score and AUC value. In the performance measures listed above, it can be said that the Random forest method performs better in specificity and accuracy; however, the TreeNet method have a better performance in other metrics. Märker et al. (2011) noted that the TreeNet method performed better compared to the Random Forest method in terms of AUC value, Cohen's Kappa statistics and R2 value. In contrast, Mi et al. (2017) and Padmaja et al. (2021) reported in their study that the Random forest method performed better than the TreeNet method.

As the second result of the research, it has been found that with the increase in the number of samples within the TreeNet method the metric values expressing the error increase by the sample sizes of 1000 and 2000 and that it yield similar values in the sample sizes of 1000 and 2000. Instead of generating new classes through random selection from the data set, the Boosting algorithm learns from the errors and determines with which samples the incorrect classification process is performed and makes selections on these samples. In other words, considering that the Boosting algorithm acts sequentially with an iterative working principle with the logic of learning from errors by using the whole sample, the amount of error it produces in low data is reflected as less until the optimum number of trees is reached. In addition, as for the Random Forest method, it has been seen that the metric values that express the correct error from 250 samples to 2000 samples are reduced. Considering that the Bagging algorithm acts with an iterative working principle with the logic of learning from errors in order to use the random sample it yields from the data set to put back into place, it can be said that it can be said that these values decrease with the increase of the data it pulls randomly until it reaches the optimum number of trees to establish the final model. Finally, at all error rates for each sample size of the same data set, the TreeNet method has been shown to produce lower values than the Random Forest method. In this respect, it can be said that the TreeNet method produces more unbiased (Robust) results and performs better than the Random Forest method. Indeed, Padmaja et al. (2016) reported in their studies that the TreeNet method was more successful than the

Random forest method. In the same vein, in the study conducted by Subasi et al. (2022), it was reported that Stochastic Gradient Boosting method (another literature use of the TreeNet method) performed better compared to the Random Forest, Support Vector Machines, K-nearest neighbours algorithm and artificial neural networks for RMSE, MSE, MAE and RAE performance criteria. Moreover, Tuğ-Karaoğlu and Okut (2020) have stated that the Boosting algorithm is more successful than the Bagging algorithm in their study and the same authors have also drawn attention to the above-mentioned issues as the source of success. Likewise, Dietterich (2000b), Machová (2006) and Quinlan (1996) stated in their study that the Boosting algorithm was more successful than the Bagging algorithm.

When both analysis methods are compared internally, taking into account all conditions including sample size, cross-validity and performance criteria, it can be said that the TreeNet method shows higher classification and prediction performance than the Random Forest method. Märker et al. (2011) stated in their studies that the TreeNet method performed better than the Random Forest method in terms of classification performance. Similarly, Hastie et al. (2009) reported that boosting-based algorithms gave better results than bagging-based algorithms in most problem situations.

In conclusion, these conclusions have been yielded by the mathematics achievement test of the ABİDE implementation administered to 8th grade students. Further studies with higher actual and artificial data are recommended for the comparability of the results. Furthermore, it is recommended to use both analysis methods to give flexibility to the analysis of data sets obtained in the field of education, especially data that do not show parametric features.

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Declaration of Conflicting Interests and Ethics

The author declares no conflict of interest. This research study complies with research publishing ethics. The scientific and legal responsibility for manuscripts published in IJATE belongs to the author.

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